ERRATA IN
"INTRODUCTION TO HYPERFUNCTIONS"

p.4, up 2	(0.6)	$\Longrightarrow$	(0.4)
p.12, down 3	$-2\pi iY(-x)$	$\Longrightarrow$	$-\pi iY(-x)$
p.25, up 10	f_{λ_i}	$\Longrightarrow$	f_{λ_I}
p.25, up 10	g_{μ_j}	$\Longrightarrow$	g_{μ_J}
p.26, up 5	$\oint$	$\Longrightarrow$	$\oint_\gamma$
p.35, down 11	$\sum_{k=0}^{\infty}$	$\Longrightarrow$	$\sum_{k=1}^{\infty}$
p.38, down 1	$\partial U_{j,k}$	$\Longrightarrow$	$U_{j,k}$
p.40, up 7	$F_{\lambda\mu} \in \mathcal{O}(U)$	$\Longrightarrow$	$F_{\lambda\mu} \in \mathcal{O}(U_\lambda \cap U_\mu)$
p.41, up 17	of Ω	$\Longrightarrow$	of x
p.41, up 9	tangent	$\Longrightarrow$	complex tangent
p.52, up 9	$\Omega_1 \times \{-dx\infty\}$	$\Longrightarrow$	$\Omega_2 \times \{-dx\infty\}$
p.52, up 4, 7	$\bigsqcup$	$\Longrightarrow$	$\bigcup$
p.54, up 14	f_{λ_μ}	$\Longrightarrow$	$f_{\lambda\mu}$
p.54, up 10	Ω_λ	$\Longrightarrow$	$\Omega_\lambda \cap \Omega_\mu$
p.60, up 11	$MBCk(B\delta)^{k-1}$	$\Longrightarrow$	$CM(B\delta)^k$
p.60, up 13	$\dfrac{M\delta^{k-1}}{(k-1)!}$	$\Longrightarrow$	$\dfrac{M\delta^k}{k!}$
p.81, down 10	infimum	$\Longrightarrow$	supremum
p.84, down 2, @@ up 4	$\bigcap_{W \in D}$	$\Longrightarrow$	$\bigcap_{w \in D}$
p.88, up 12	$\mid x_1 \mid$	$\Longrightarrow$	$\lvert x_1 \rvert$
p.90, up 15	$e^{i\check{z}_j\check{\zeta}_j - tz_j^2\lvert\xi\rvert - t(\check{z}_j^2 - (\check{z}_j\check{\xi}_j/\lvert\check{\xi}_j\rvert)^2\lvert\xi\rvert}$	$\Longrightarrow$	$e^{i\check{z}_j\check{\xi}_j - t(z^2 - (\check{z}_j\check{\xi}_j/\lvert\check{\xi}_j\rvert)^2)\lvert\xi\rvert}$
p.92, down 8	$\times\{\zeta$	$\Longrightarrow$	$\times\{\xi$
p.93, down 11	Bibiliographical	$\Longrightarrow$	Bibliographical
p.93, down 13	bing	$\Longrightarrow$	being

p.93, up 3	quie	$\Longrightarrow$	quite
p.94, up 1	in Part II)]	$\Longrightarrow$	in Part II.)]
p.98, down 16	$\boldsymbol{R}^n \times (1/i)\boldsymbol{S}^{*n-1}_{\infty}$	$\Longrightarrow$	$\Omega \times (1/i)\boldsymbol{S}^{*n-1}_{\infty}$
p.100, up 8	small	$\Longrightarrow$	close to Γ
p.105, up 9	$x + i\Gamma_j \cap \Delta_k$	$\Longrightarrow$	$x + i\Gamma_j \cap \Delta_k 0$
p.111, down 13	$\oint_{\lvert\tau\rvert=0}$	$\Longrightarrow$	$\oint_{\lvert\tau\rvert=\delta}$
p.113, down 17	in (z,ξ)	$\Longrightarrow$	in (z,ζ)
p.119, down 6	a domain	$\Longrightarrow$	a bounded domain
p.121, up 10	estimates hold	$\Longrightarrow$	estimate holds
p.122, down 4	$dx\infty$	$\Longrightarrow$	$d(x,t)\infty$
p.125, up 11	and $F_{j1}(z)$	$\Longrightarrow$	and $F_{j1}(z,\tau)$
p.128, up 15	$\Phi(x,\widetilde{t})$	$\Longrightarrow$	$\Phi(x,t)$
p.129, down 7	$\Phi^{-1}(K)$	$\Longrightarrow$	$\Phi^{-1}(\widetilde{K})$
p.132, up 12	$f * g =$	$\Longrightarrow$	$f * g :=$
p.134, down 7	a real analytic parameter	$\Longrightarrow$	real analytic parameters
p.134, up 13	$f(x,t)$.	$\Longrightarrow$	$f(x,t)$.)
p.136, down 5	$W_\alpha(z,\overline{\Gamma_\sigma})$	$\Longrightarrow$	$W_\alpha(x,\overline{\Gamma_\sigma})$
p.137, down 1	$[a_n,b_n])$,	$\Longrightarrow$	$[a_n,b_n]))$,
p.141, down 5	$[a_n,b_n])$.	$\Longrightarrow$	$[a_n,b_n]))$.
p.147, up 10	...spectra.	$\Longrightarrow$	...spectra.)
p.155, down 1	Insert the following after "... by Liouville's theorem.": (Apply it to the function of z_1 $$\oint_{\gamma_2}\cdots\oint_{\gamma_n} F(z)\frac{1}{\zeta_2 - z_2}\cdots\frac{1}{\zeta_n - z_n}dz_2\cdots dz_n$$ to conclude that it is zero, and then by applying $\oint_{\gamma_1} dz_1\frac{1}{\zeta_1 - z_1}\cdot$ to the above, deduce $F(\zeta)\equiv 0$.)		
p.155, up 5	$+\frac{1}{(2\pi i)^n}\cdot\cdot$	$\Longrightarrow$	$+\frac{1}{(2\pi i)^{n-1}}\cdot\cdot$
p.177, down 17	this holomorphic function	$\Longrightarrow$	these holomorphic functions
p.179, up 8	$\mathcal{B}(T)$	$\Longrightarrow$	$\mathcal{O}(T)$
p.188, down 12	$f_\pm(x,t,s)$	$\Longrightarrow$	$\tilde{f}_\pm(x,t,s)$

p.199, down 7	$\|x\| < 2\delta$	$\Longrightarrow$	$\|x\| \leq 2\delta$
p.200, down 16	$\leqq$	$\Longrightarrow$	$\geq$
p.200, down 16	$\geqq$	$\Longrightarrow$	$\leq$
p.200, up 12	$<$	$\Longrightarrow$	$\leq$
p.208, down 10	$\prod_{j=0}^{m-1}{}'\mathcal{A}(K)$	$\Longrightarrow$	$\prod_{j=0}^{m-1}{}'\mathcal{A}(K')$
p.208, down 15	$(v(x), v_{m-1}(x'), ..., v_0(x'))$	$\Longrightarrow$	$(v(x), u_{m-1}(x'), ..., u_0(x'))$
p.208, up 13	For $u \in \mathcal{B}[\Omega]$,	$\Longrightarrow$	For $u \in \mathcal{B}[\Omega]$ with a bounded Ω,
p.208, up 8	of $P(x,D)u = 0$	$\Longrightarrow$	of an m-th order equation $P(x,D)u = 0$
p.227, down 7	$K(x,y)u(y)dy$	$\Longrightarrow$	$\int K(x,y)u(y)dy$
p.228, down 11 @@ −12	the pseudo-differential operator $Q(x,D)$	$\Longrightarrow$	the operator $Q(x,D)$
p.229, up 13	cohomorlogy	$\Longrightarrow$	cohomology
p.232, up 13	$f(y)f(x)$	$\Longrightarrow$	$f(y)g(x)$
p.241, down 9	$\mathcal{F}''$	$\Longrightarrow$	$\mathcal{F}'$
p.247, (5.2.4)	$K^{n\prime\prime+1}$	$\Longrightarrow$	K''^{n+1}
p.251, down 5	homomorphism	$\Longrightarrow$	homeomorphism
p.254, down 3	assumption (5.3.9)	$\Longrightarrow$	assumption (5.3.5)
p.255, up 2	it exact	$\Longrightarrow$	is exact
p.257, down 2	by Lemma 5.1.3	$\Longrightarrow$	(cf. Lemma 5.1.3)
p.269, down 4	$\check{c}^1_\mu$	$\Longrightarrow$	$\check{c}^1_{\mathcal{U}}$
p.270, down 19	$\wedge U_{\lambda_n}$	$\Longrightarrow$	$\wedge U_{\lambda_{n+1}}$
p.272, down 6	$\check{H}^n(X,S)$	$\Longrightarrow$	$\check{H}^n(X,\mathcal{F})$
p.275, down 13	$H^1(X,\boldsymbol{C})$	$\Longrightarrow$	$H^1(\boldsymbol{R}^n,\boldsymbol{C})$
p.283, up 2	$H^1(F,\mathcal{F})$	$\Longrightarrow$	$H^k(F,\mathcal{F})$
p.284, down 12	$H^n_K(X,\mathcal{F})$	$\Longrightarrow$	$H^n{}_K(X,\mathcal{F})$
p.288, up 6	$f^*\mathcal{O}$	$\Longrightarrow$	$f_*\mathcal{O}$
p.289, up 15	$H^k(K', f_*\mathcal{O})$	$\Longrightarrow$	$H^k(K, f_*\mathcal{O})$
p.291, up 13	$\sum_{(j_1,\cdots,j_j)}$	$\Longrightarrow$	$\sum_{(j_1,\cdots,j_k)}$
p.330, down 7	neighborhood of Ω	$\Longrightarrow$	neighborhood of Ω satisfying $U \cap \boldsymbol{R}^n = \Omega$

p.330, down 10	$U^0 j =$	$\Longrightarrow$	$U_j =$
p.330, up 3	$\boldsymbol{R}^n + i\Gamma_\sigma 0$	$\Longrightarrow$	$\Omega + i\Gamma_\sigma 0$
p.335, down 4	(7.1.5)	$\Longrightarrow$	(7.1.15)
p.338, down 6	E_{η^n}	$\Longrightarrow$	E_{η^N}
p.351, down 3	cmpact	$\Longrightarrow$	compact
p.368, down 6	transform $f(x)$	$\Longrightarrow$	transform of $f(x)$
p.369, up 11	$H_K(\eta) \leq H_{\widetilde{K}}(\eta)$	$\Longrightarrow$	$H_K(\eta) = H_{\widetilde{K}}(\eta)$
p.369, up 8	transformation A	$\Longrightarrow$	transformation A
p.371, up 3	$cz^m \prod_{k=1}^{\infty}(1 - z/\lambda_k)$	$\Longrightarrow$	$c\zeta^m \prod_{k=1}^{\infty}(1 - \zeta/\lambda_k)$
p.376, up 15	with $\widetilde{\mathcal{O}}^{-\delta}(\boldsymbol{D}^n + i\{\|y\| < \delta\})$	$\Longrightarrow$	with $\widetilde{\mathcal{O}}^{-\gamma}(\boldsymbol{D}^n + i\{\|y\| < \delta\})$
p.378, up 11	$\boldsymbol{D}^n + iI$	$\Longrightarrow$	$\boldsymbol{D}^n + i\widehat{I}$
p.379, up 14	$\widetilde{\mathcal{Q}}^{-\delta}$	$\Longrightarrow$	$\mathcal{Q}^{-\delta}$
p.381, up 21	$i\Gamma_s 0$	$\Longrightarrow$	$i\Gamma_\sigma 0$
p.385, up 10	$i\Gamma_s 0$	$\Longrightarrow$	$i\Gamma_\sigma 0$
p.394, down 10	difficulies	$\Longrightarrow$	difficulties
p.402, up 13	$\mathcal{Q}_*\big\|_{\boldsymbol{R}^m}$	$\Longrightarrow$	$\mathcal{Q}_*\big\|_{\boldsymbol{R}^n}$
p.402, up 12	$\in (\boldsymbol{D}^n)$	$\Longrightarrow$	$\in \mathcal{Q}(\boldsymbol{D}^n)$
p.403, up 7	$f(\xi)$	$\Longrightarrow$	$\hat{f}(\xi)$
p.404, up 9	$H_K(\eta) = +\infty$	$\Longrightarrow$	$H_K(\eta) < +\infty$
p.422, down 9	$\partial G_k(z)/\partial z_1$	$\Longrightarrow$	$\partial G_{jk}(z)/\partial z_1$
p.451, down 7	212–127	$\Longrightarrow$	121–127